



# Basic Hydraulics

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# Overview

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- **Open Channel Flow**
- **Manning Equation**
- **Basic Culvert Design**
- **Sanitary Sewer**
  - **Design Flow, Velocity**
- **Stormwater Sewer**
  - **Design Flow, Velocity**

# Open Channel Flow

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**Fluid passage way that allows part of the fluid to be exposed to the atmosphere**

- **Natural Waterways**
- **Canals**
- **Flumes**
- *Culverts*
- *Pipes flowing under the influence of gravity (pressure conduits always flow full.)*

# Open Channel Flow

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## **Difficulties with Open Channel Flow**

- **Variations in cross sections and roughness**
- **More empirical & less exact than pressure conduit flow**
- **Run-off calculations also imprecise**

# Parameters Used in Open Channel Flow



- **Q = Flow Quantity/Volume**
- **A = Cross-sectional Area of Flow**
- **v = Velocity (mean velocity)**
- **R = Hydraulic Radius**
- **P = Wetted Perimeter**
- **S = Slope**
- **n = Manning Roughness Coefficient**



# Mean Velocity

- **Mean velocity ( $v$ ) multiplied by flow area ( $A$ ) gives flow quantity ( $Q$ ).**

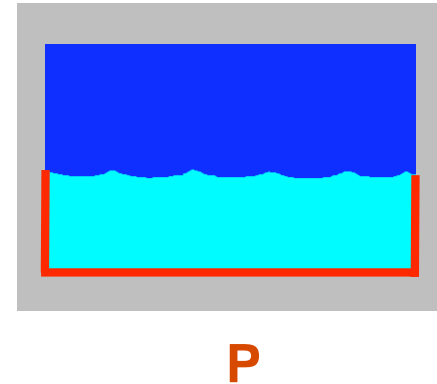
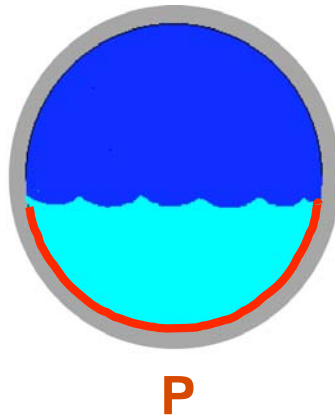
$$Q = Av$$



# Hydraulic Radius

The ratio of the area in flow to the wetted perimeter.

$$R = \frac{A}{P}$$





# Hydraulic Radius

- **For a circular pipe flowing full or half full:**

$$R = \frac{D}{4}$$





# Governing Equations

- **Continuity Equation**

$$A_1 v_1 = A_2 v_2$$

- **Chezy Equation - 1768**

$$v = C \sqrt{RS} \qquad C = \sqrt{\frac{8g}{f}}$$

- **Manning Equation - 1888**

$$C = \left( \frac{1.49}{n} \right) R^{\frac{1}{6}}$$



# Governing Equations

- **Continuity Equation**

$$A_1 v_1 = A_2 v_2$$

- **Chezy Equation - 1768**

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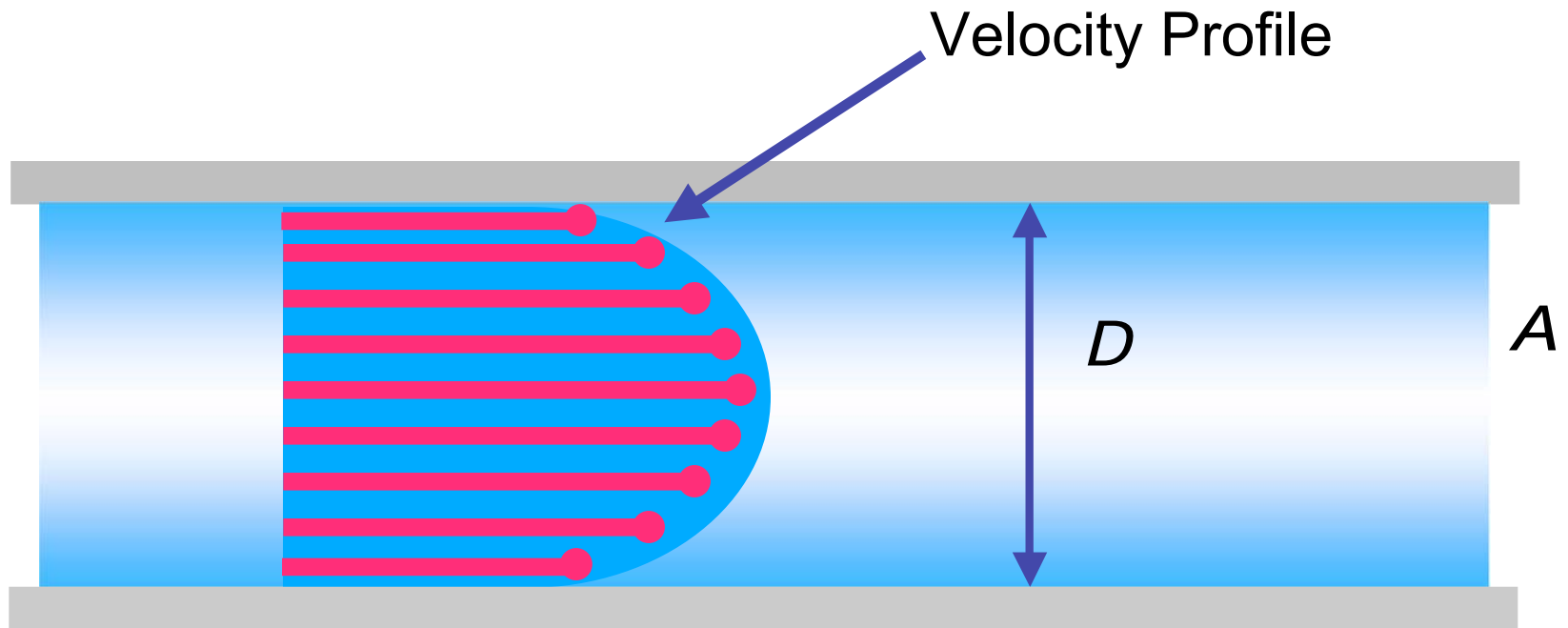


# The Manning Equation

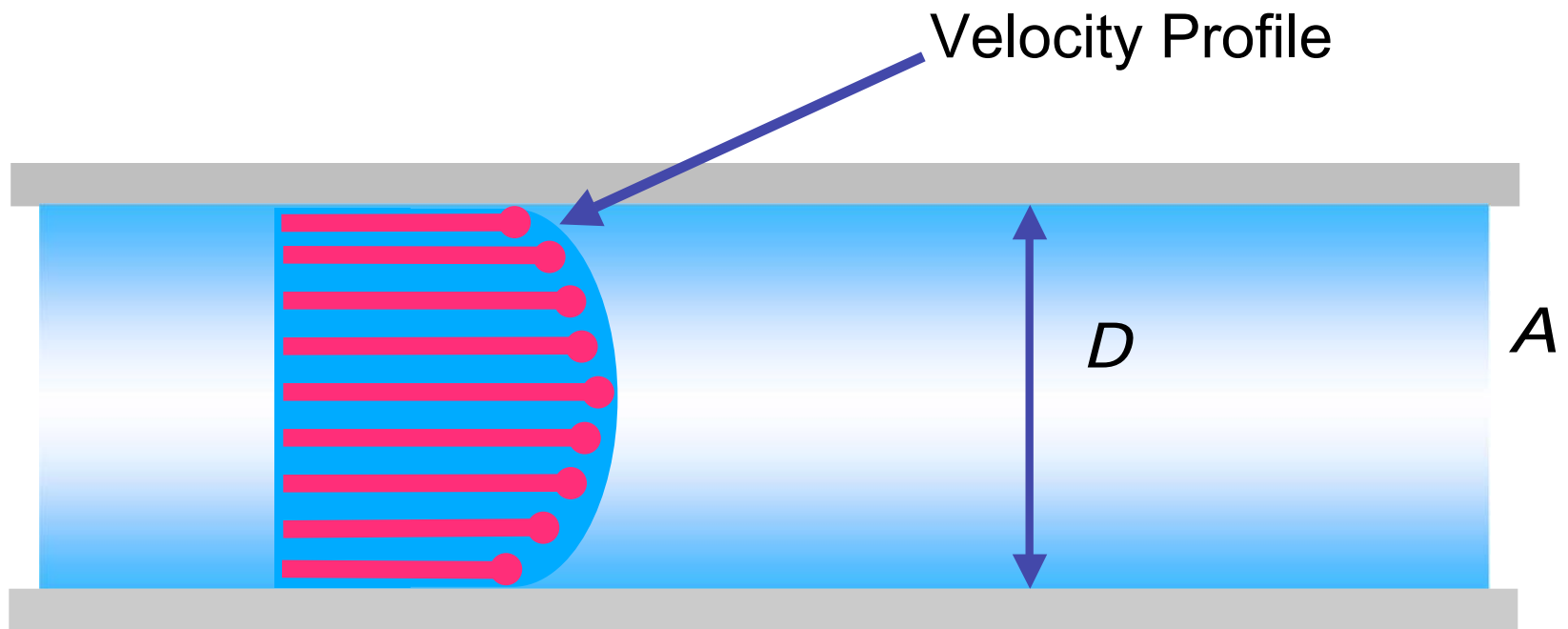
$$Q = vA = \left( \frac{1.49}{n} \right) A R^{\frac{2}{3}} \sqrt{S}$$

$$v = \left( \frac{1.49}{n} \right) R^{\frac{2}{3}} \sqrt{S}$$

# Velocity Profile Full Pipe Laminar Flow



# Velocity Profile Full Pipe Turbulent Flow





# Manning Coefficient ( $n$ )

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- **Judgment is used in selecting  $n$  values.** *Additional Design Data – [click here](#)*
- **$n$  varies with depth of flow**
- **For most calculations  $n$  is assumed to be constant.**
- **To consider variable  $n$  - use tables or graphs for  $n$ .**

*Additional Info in the Concrete Design Manual - [click here](#)*

# Manning Equation

## Manning Coefficient ( $n$ )



## Circular Channel Ratios

$\frac{d}{D}$	$\frac{Q}{Q_{full}}$	$\frac{v}{V_{full}}$
0.1	0.02	0.31
0.2	0.07	0.48
0.3	0.14	0.61
0.4	0.26	0.71
0.5	0.41	0.80
0.6	0.56	0.88
0.7	0.72	0.95
0.8	0.87	1.01
0.9	0.99	1.04
0.95	1.02	1.03
1.00	1.00	1.00



# Manning Coefficient ( $n$ )

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- **For smooth wall pipes (concrete, plastic) laboratory tests have shown that “ $n$ ” range between 0.009 and 0.010.**
- **Engineers typically use 0.012 or 0.013 to account for differences between laboratory and installed conditions.**

# Manning Coefficient ( $n$ )

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- **Recommended  $n$  values:**

**0.012 for storm sewer applications**

**0.013 for sanitary sewers applications**

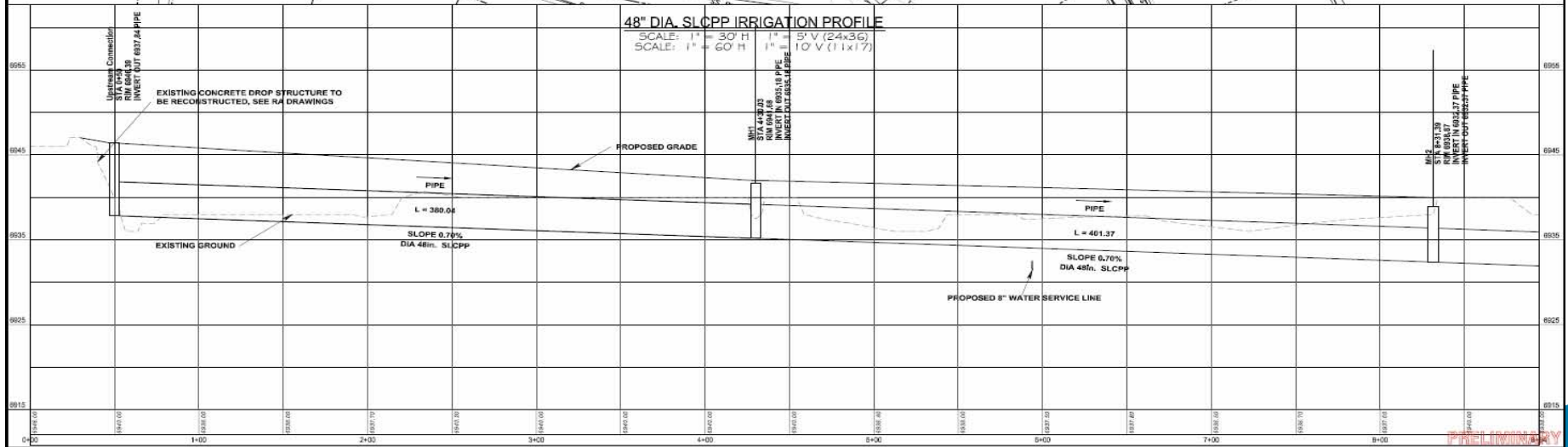
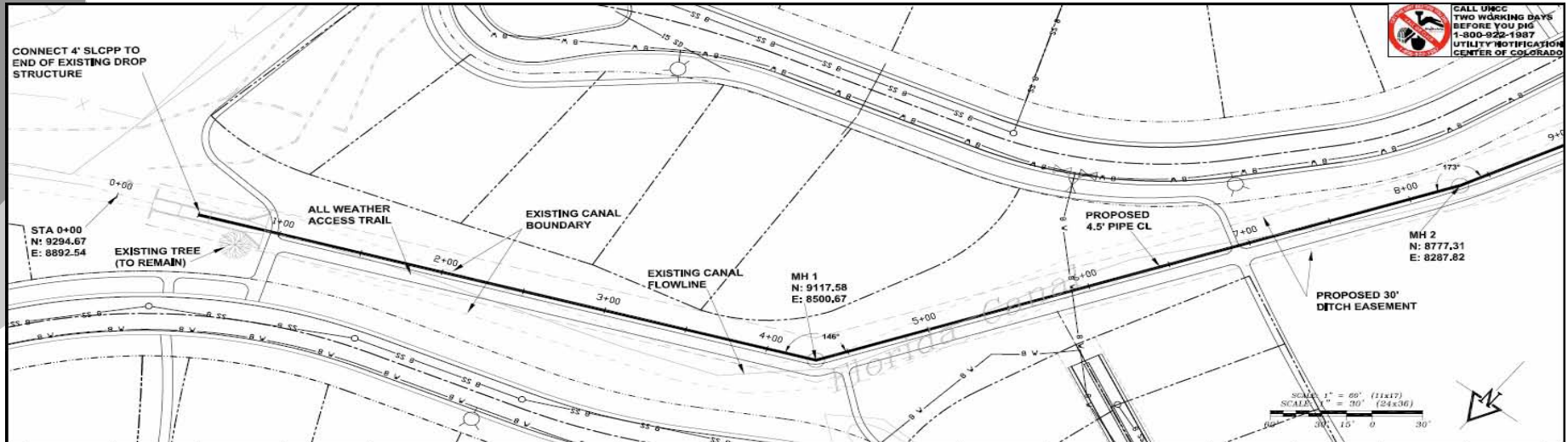
# Hazen-Williams 1920s



$$v = 1.318 \cdot CR^{0.63} S^{0.54}$$

- **Water flows with high Reynolds Number.**
- **Occasionally used – fire, irrigation & water distribution systems.**
- **Only for water within “normal” ambient conditions.**
- **Primarily Advantage: C depends only on the roughness, not the fluid characteristics.**
- **Primarily Disadvantage: C depends only on the roughness, not the fluid characteristics – professional judgment required when choosing C.**

# Examples





# Manning Equation, Ex.1

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## Example No. 1

**48-inch Diameter RCP**

**pipe invert out = 6932.37 ft**

**pipe invert in = 6937.84 ft**

**length = 781.41 ft**

**Use  $n = 0.012$**

**Find  $Q_{full}$**



# Manning Equation, Ex.1

$$Q_{full} = \left( \frac{1.49}{n} \right) A R^{\frac{2}{3}} \sqrt{S}$$

- **n=0.012**
- **48" Dia = 12.57 ft<sup>2</sup>**



# Manning Equation, Ex.1

- For a circular pipe flowing full or half full:

$$R = \frac{D}{4}$$

$$R = \frac{4 \text{ ft.}}{4} = 1.0 \text{ ft.}$$



# Manning Equation, Ex.1

- **Calculate S**

$$\frac{\textit{rise}}{\textit{run}} \rightarrow \frac{(6937.84 - 6932.37)}{781.41}$$

$$S = 0.007$$





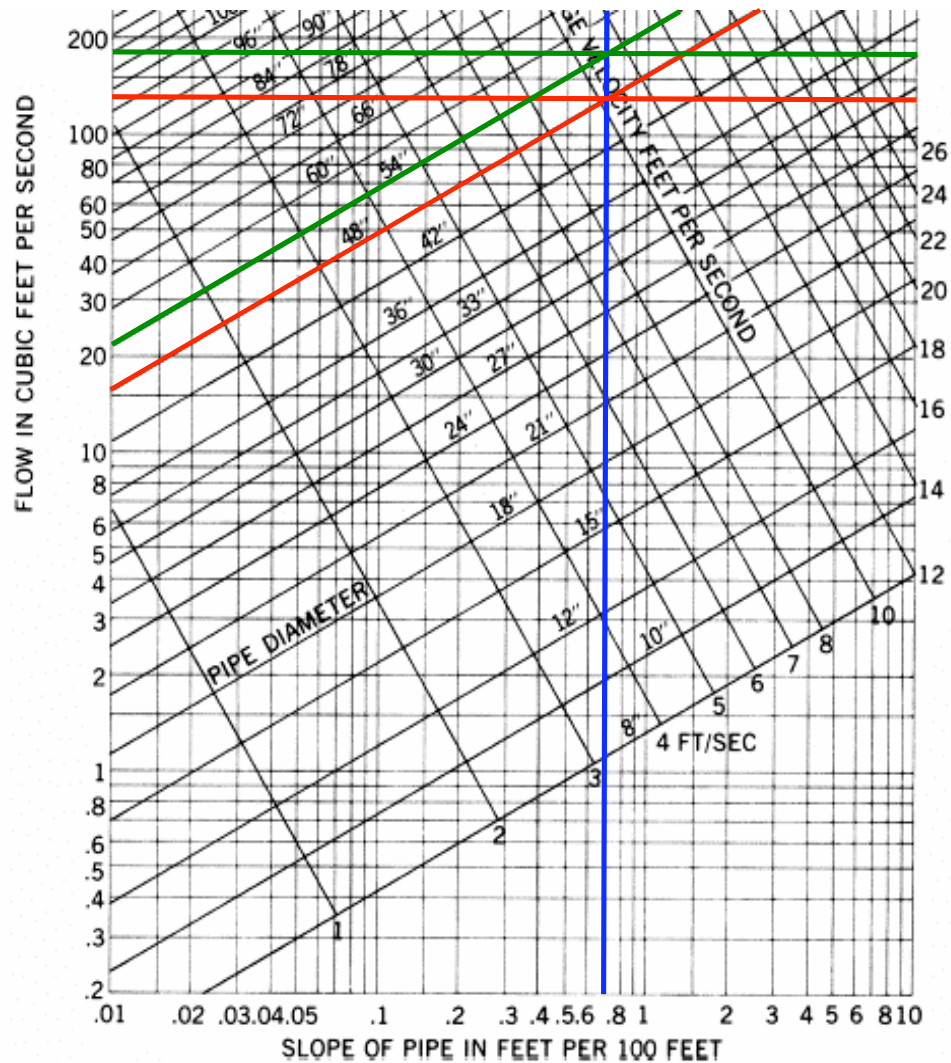
# Manning Equation, Ex.1

- **Result:**

$$Q_{\text{full}} = \left( \frac{1.49}{0.012} \right) \cdot (12.57) \cdot (1.0)^{\frac{2}{3}} \cdot \left( \sqrt{0.0007} \right)$$

$$= 130.6 \text{ cfs}$$

# Flow for Circular Pipe Flowing Full Based on Manning's Equation $n=0.012$



## Manning Equation, Ex.2

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**Using a 54-inch pipe for the 150 cfs flow what is the depth of flow and velocity?**



# Manning Equation, Ex.2

## Example No. 2

**54-inch Diameter RCP**

**length = 781.41 ft**

**n = 0.012**

**S = 0.007**

**R = (4.5/4) = 1.13 ft**

**A = 15.90 ft<sup>2</sup>**

**Find Q<sub>full</sub>**



## Manning Equation, Ex.2

$$Q_{full} = \left( \frac{1.49}{n} \right) A R^{\frac{2}{3}} \sqrt{S}$$

$$Q_{full} = \left( \frac{1.49}{0.012} \right) \cdot (15.90) \cdot (1.13)^{\frac{2}{3}} \cdot (\sqrt{0.007})$$

$$= 179.2 \text{ cfs}$$



# Manning Equation, Ex.2

## Circular Channel Ratios

$\frac{d}{D}$	$\frac{Q}{Q_{full}}$	$\frac{v}{V_{full}}$
0.1	0.02	0.31
0.2	0.07	0.48
0.3	0.14	0.61
0.4	0.26	0.71
0.5	0.41	0.80
0.6	0.56	0.88
0.7	0.72	0.95
0.8	0.87	1.01
0.9	0.99	1.04
0.95	1.02	1.03
1.00	1.00	1.00



## Manning Equation, Ex.2

**Find the depth of flow in the pipe**

$$\frac{d}{D} = \frac{d}{4.5 \text{ ft.}}$$

$$\frac{Q}{Q_{\text{full}}} = \frac{150.0 \text{ cfs}}{179.2 \text{ cfs}} = 0.84$$



# Manning Equation, Ex.2

## Circular Channel Ratios

$\frac{d}{D}$	$\frac{Q}{Q_{full}}$	$\frac{v}{V_{full}}$
0.1	0.02	0.31
0.2	0.07	0.48
0.3	0.14	0.61
0.4	0.26	0.71
0.5	0.41	0.80
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0.7	0.72	0.95
0.8	0.87	1.01
0.9	0.99	1.04
0.95	1.02	1.03
1.00	1.00	1.00





## Manning Equation, Ex.2

$$\frac{y - y_0}{y_1 - y_0} = \frac{x - x_0}{x_1 - x_0}$$

$$\frac{\left(\frac{d}{D}\right)^{-0.7}}{0.8 - 0.7} = \frac{0.84 - 0.72}{0.87 - 0.72}$$

$$\frac{d}{D} = 0.78; D = 4.5 \text{ ft.} \rightarrow d = 3.51 \text{ ft.}$$



## Manning Equation, Ex.2

- **Find the velocity:**

$$v_{\text{full}} = \frac{Q_{\text{full}}}{A} = \frac{179.2 \text{ cfs}}{15.90 \text{ ft}^2} = 11.27 \text{ ft/s}$$

$$\frac{v}{v_{\text{full}}} = \frac{v}{11.27 \text{ ft/s}}$$

$$\frac{Q}{Q_{\text{full}}} = \frac{150.0 \text{ cfs}}{179.2 \text{ cfs}} = 0.84$$



# Manning Equation, Ex.2

## Circular Channel Ratios

$\frac{d}{D}$	$\frac{Q}{Q_{full}}$	$\frac{v}{V_{full}}$
0.1	0.02	0.31
0.2	0.07	0.48
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0.8	0.87	1.01
0.9	0.99	1.04
0.95	1.02	1.03
1.00	1.00	1.00



## Manning Equation, Ex.2

$$\frac{y - y_0}{y_1 - y_0} = \frac{x - x_0}{x_1 - x_0}$$

$$\frac{\left(\frac{v}{v_{\text{full}}}\right)^{-0.95}}{1.01 - 0.95} = \frac{0.84 - 0.72}{0.87 - 0.72}$$

$$\frac{v}{v_{\text{full}}} = 0.998; v_{\text{full}} = 11.27 \text{ ft/s} \rightarrow v = 11.25 \text{ ft/s}$$

# Basic Culvert Hydraulics

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- **Conduit passing water under or around an obstructing feature (usually manmade).**
- **Used to restore a water natural path that has become obstructed.**

Additional Design Data – [click here](#)

# Basic Culvert Hydraulics



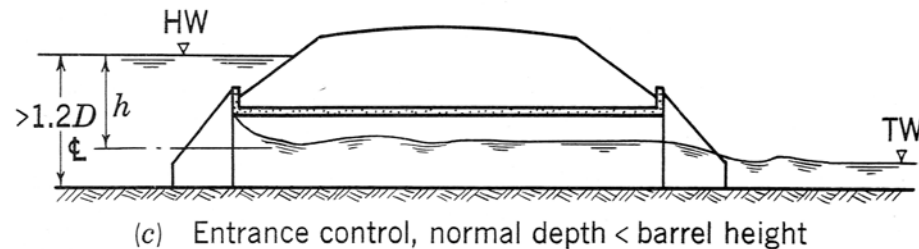
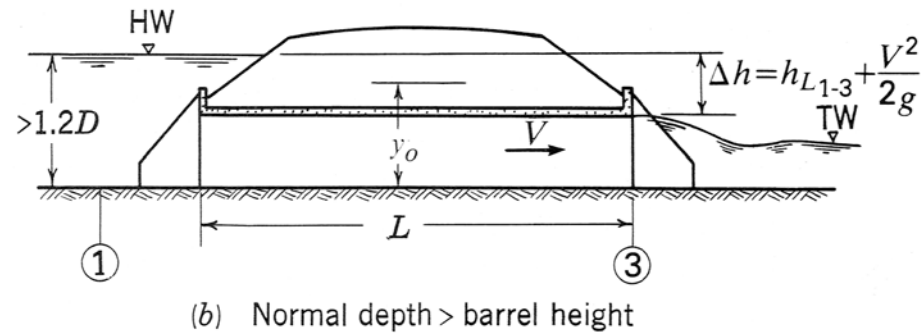
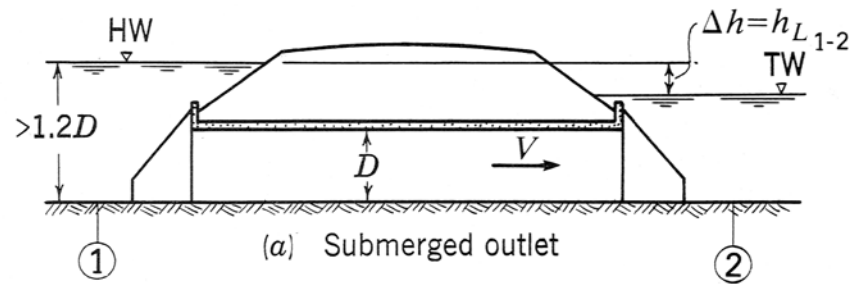
- **Headwater** - [click here](#)
  - **Depth of water at the upstream face of the culvert**
- **Outlet velocity** - [click here](#)
  - **Similar to channel velocity to protect downstream end**
- **Tailwater** - [click here](#)
  - **Depth of water downstream of the culvert measured from the outlet culvert**

Additional Info in the Concrete Design Manual

# Basic Culvert Hydraulics



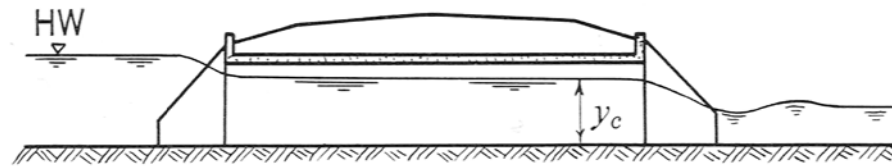
## ○ Submerged Entrance



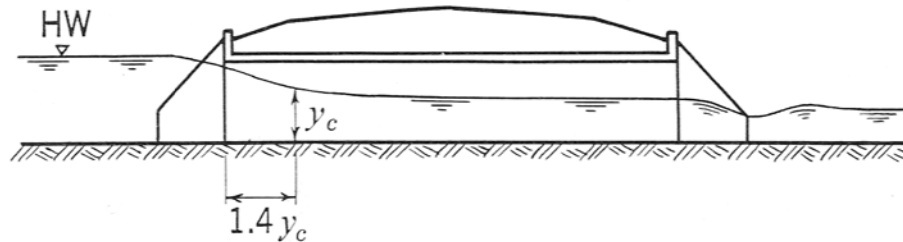
# Basic Culvert Hydraulics



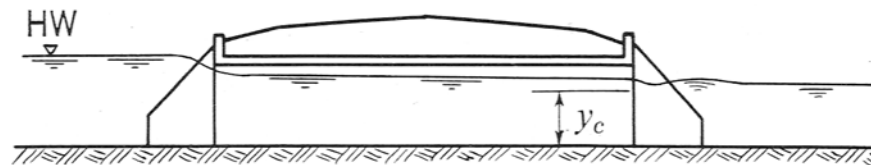
## ○ Free Entrance



(a) Mild slope, low tailwater



(b) Steep slope, low tailwater



(c) Mild slope, tailwater submerges  $y_c$



# Parameters Used in Culvert Design



- $HW_i$  = headwater depth above the inlet control section invert (ft)
- $D$  = interior height of the culvert barrel (ft)
- $Q$  = discharge (cfs)
- $A$  = full cross-sectional area of the culvert barrel (ft<sup>2</sup>)
- $c, Y, M$  = constants based on shape and material
- $Z$  = term for culvert barrel slope correction factor (ft/ft).

For mitered inlets use  $Z=0.7S$

For all other conditions use  $Z=-0.5S$

# Basic Culvert Hydraulics



## ○ Characteristics of Flow

- **Inlet Control** - [click here](#)
- **Outlet Control** - [click here](#)
- **Outlet Velocity**

Additional Info in the Concrete Design Manual

# Basic Culvert Hydraulics



## ○ Inlet Control

- **Barrel hydraulic capacity is higher than that of the inlet.**
- **Typical flow condition is critical depth near the inlet and supercritical flow in the culvert barrel.**
- **Due to constriction at entrance, the inlet configuration has a significant effect on hydraulic performance.**

Additional Design Data – [click here](#)

## ○ Outlet Control

- **Barrel hydraulic capacity has a smaller hydraulic than the inlet does.**
- **Typical flow condition is that the full or partially full culvert barrel for all or part of its length.**
- **Flow regime is always subcritical, so the control of flow is either at the downstream end of the culvert or further downstream of the culvert outlet.**

# Basic Culvert Hydraulics



## ○ Inlet Control

- **Submerged Condition (orifice)**

$$\left[ \frac{HW_i}{D} \right] = c \left[ \frac{Q}{AD^{0.5}} \right]^2 + Y + Z \rightarrow \text{for } \left[ \frac{Q}{AD^{0.5}} \right] \geq 4.0$$

- **Unsubmerged Condition (weir)**

$$\left[ \frac{HW_i}{D} \right] = \left[ \frac{Q}{AD^{0.5}} \right]^M \rightarrow \text{for } \left[ \frac{Q}{AD^{0.5}} \right] \leq 3.5$$

# Basic Culvert Hydraulics



## ○ Inlet Control Continued

- Unsubmerged Condition (weir)

Based on the specific head at critical depth

$$\left[ \frac{HW_i}{D} \right] = \left[ \frac{H_c}{D} \right] + K \left[ \frac{Q}{AD^{0.5}} \right]^M + Z \rightarrow \text{for} \left[ \frac{Q}{AD^{0.5}} \right] \leq 3.5$$

# Basic Culvert Hydraulics



- **Outlet Control**

$$h_o = \max [TW, (d_c + D) / 2]$$

$$d_c = \sqrt[3]{\frac{q^2}{g}}$$

# Basic Culvert Hydraulics



## ○ Outlet Control

- Losses  $h_{ex} + h_e + h_f$

$$H = \left( 1 + k_e + \frac{29n^2 L}{R^{1.33}} \right) \cdot \left( \frac{V^2}{2g} \right)$$

$$HW_{out} = H + h_o - S_o L$$

# Basic Culvert Hydraulics



- **Once the inlet control headwater,  $HW_i$  and the outlet control headwater,  $HW_{out}$  are computed, the controlling headwater is determined by comparing  $HW_i$  and  $HW_{out}$** 
  - **if  $HW_i > HW_{out}$ , the culvert is inlet controlled**
  - **if  $HW_{out} > HW_i$ , the culvert is outlet controlled**



# Basic Culvert Design



## ○ Culvert Design Procedures (AASHTO)

- Establishment of Hydrology
- Design of downstream channel
- Assumption of a trial configuration
- Computation of inlet control headwater
- Computation of outlet control headwater at inlet
- Evaluation of the controlling headwater
- Computation of discharge over the roadway & total discharge
- Computation of outlet velocity and normal depth

# Basic Culvert Design Example



- **Design a reinforced concrete box culvert for a roadway crossing to pass a 50-year discharge of 400 cfs.**
  - **Shoulder elevation = 155 ft.**
  - **Streambed elevation at culvert face = 140 ft.**
  - **Natural stream slope = 1.5%**
  - **Tailwater depth = 3.0 ft.**
  - **Culvert length = 200 ft.**
  - **Downstream channel approximate 10' x 10'**
  - **Inlet is not depressed**



## Basic Culvert Design Example

- **Step 1: 50-year design discharge is given as 400/cfs.**
- **Step 2: Downstream geometry is given 10' x 10' rectangular**
- **Step 3: Use a 7' x 5' reinforced concrete box culvert with 45 degree wing wall flares, beveled edges entrance loss coefficient of 0.2**  
**Constants for inlet control 30-70 degree wing wall flares:  $c=0.0385$ ,  $Y=0.81$**



## Basic Culvert Design Example

- **Step 4: Determine inlet control headwater –  $HW_i$**

$$\left[ \frac{Q}{AD^{0.5}} \right] = \left[ \frac{400}{(35)(5^{0.5})} \right] = 5.11 \geq 4.0$$

$$\left[ \frac{HW_i}{D} \right] = c \left[ \frac{Q}{AD^{0.5}} \right]^2 + Y + Z$$

$$\left[ \frac{HW_i}{5.0} \right] = 0.0385 \left[ \frac{400}{(35)(5)^{0.5}} \right]^2 + 0.81 - 0.5(0.015)$$

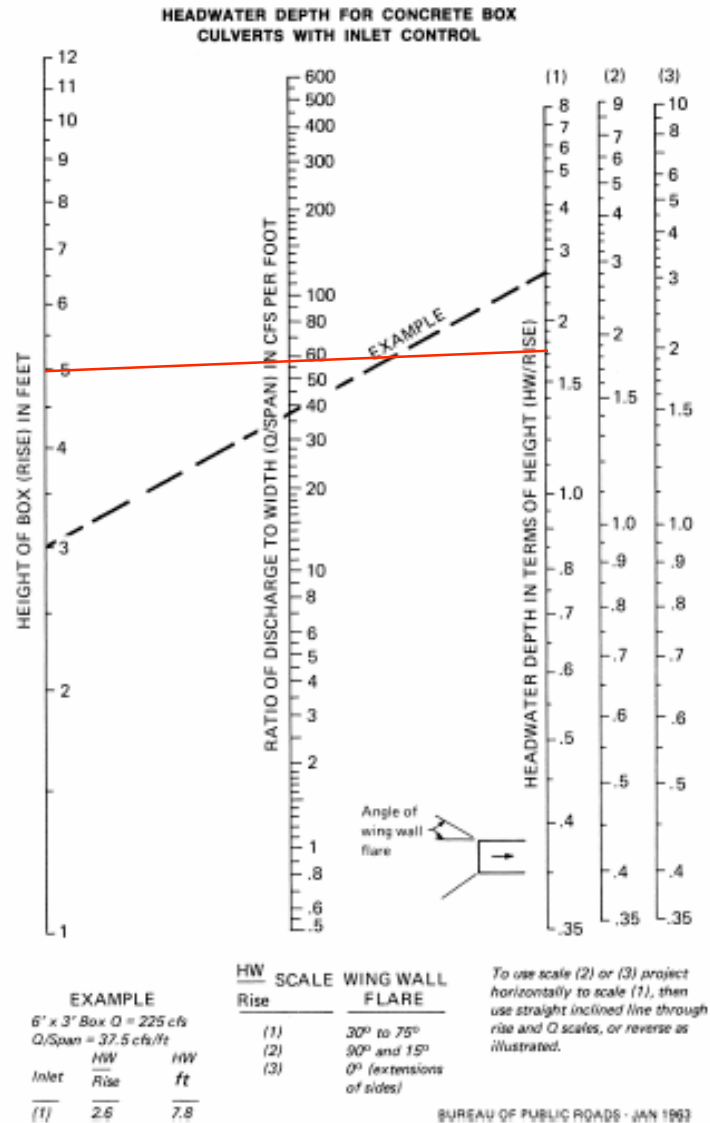
$$HW_i = 9.04 \text{ ft}$$

# Culverts

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Concrete Pipe Design Manual

Figure 37





# Basic Culvert Design Example

## ○ Step 5 Determine the outlet control headwater depth at inlet.

- Tailwater is given = 3.0 ft.

### Find Critical Depth

$q$  (ft<sup>3</sup>/s/ft), unit discharge = total discharge/culvert width

$g$  = gravitational acceleration, 32.2 ft/s<sup>2</sup>

$$d_c = \sqrt[3]{\frac{q^2}{g}} = \sqrt[3]{\frac{(400/7)^2}{32.2}} = 4.7 \text{ ft.}$$



## Basic Culvert Design Example

- **$h_0$  = is bigger value of tailwater or  $(D+d_c)/2$ .**
  - Tailwater is 3.0 ft.
  - $(4.7+5)/2=4.85$  ft.

**Use  $h_0=4.85$  ft.**



# Basic Culvert Design Example

## ○ Find H

- $A=(7)(5)=35 \text{ ft}^2$
- $V=400/35=11.4 \text{ ft/s}$
- $R=A/P=35/(7+7+5+5)=1.46 \text{ ft}$

$$H = \left( 1 + k_e + \frac{29n^2 L}{R^{1.33}} \right) \cdot \left( \frac{V^2}{2g} \right)$$

$$H = \left( 1 + 0.2 + \frac{29(0.012)^2 (200)}{(1.46)^{1.33}} \right) \cdot \left( \frac{(11.4)^2}{2(32.2)} \right) = 3.44 \text{ ft}$$



# Basic Culvert Design Example



- **Step 6 Compute controlling headwater**

$$HW_{out} = H + h_o - S_o L$$

$$HW_{out} = 3.44 + 4.85 - (0.015)(200) = 5.29 \text{ ft}$$

$$HW_i = 9.04 \text{ ft}$$

$HW_i$  controls, so culvert is inlet control



## Basic Culvert Design Example

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- **Step 7 Calculate the depth over the roadway,  $HW_r$**

$$140.00 \text{ ft} + 9.04 \text{ ft} = 149.04 \text{ ft} < 155 \text{ ft}$$

**does not flow over the roadway, depth = 0**

# Basic Culvert Design Example

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- **Step 8 Compute total discharge.**
- **400 cfs, since no flow over roadway.**



# Basic Culvert Design Example

- **Step 9 Compute depth for culvert and velocity.**

$$Q = \left( \frac{1.49}{n} \right) A R^{\frac{2}{3}} \sqrt{S}$$

$$400 = \left( \frac{1.49}{0.012} \right) 7d_n \left( \frac{7d_n}{(7+2d_n)} \right)^{\frac{2}{3}} \sqrt{0.015}$$

$$d_n = 2.8 \text{ ft}$$



# Basic Culvert Design Example

- **Velocity at the culvert outlet:**

$$V_o = \frac{400}{(7)(2.8)} = 20.4 \text{ ft/s}$$

# Sanitary Sewer



- **Design Flow** - [click here](#)
  - **Average Flow**
  - **Peak Flow**

Additional Design Data – [click here](#)

- **Design Velocity** - [click here](#)
  - **Minimum Velocity**
    - **Full Flow 2 ft/s**

Additional Info in the Concrete Design Manual

# Sanitary Sewer



## ○ Design Flow considers

- Average Flow

- Design based on existing data or state/local agencies will specify minimum average flows.

- Peak Flow

- Peaking factor

- Minimum Flow

- Is the self cleaning velocity of 2 ft/s maintained?

# Sanitary Sewer

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## ○ Average Flow

- Needs to include I & I
- Different for wet and dry months



# Sanitary Sewer



## ○ Peaking Factor

- **3:1 for large sewers serving stable populations**
- **20:1 for small sewers serving growing populations where domestic wastewater is major component of the total flow.**

# Sanitary Sewer



## ○ Example

- **10.5 acre site for retail space**
- **Floor Area Ratio (FAR) of 0.25**
- **What is the wastewater flow that could be expected to be produced?**

# Sanitary Sewer

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**Retail space available:**

**$(10.5 \text{ acre})(0.25) = 114345.5 \text{ ft}^2$**

**Worst case = restaurant**



	Population /unit	Equivalent pop/1,000 sq-ft	Total Units (or sq ft/1000)	Total Population
<b>COMMERCIAL/INDUSTRIAL UNITS</b>				
Single-Family	3.0		-	-
Multi-Family	2.5		-	-
<b>COMMERCIAL/INDUSTRIAL UNITS</b>				
Office, Warehouse		1.17	-	-
Retail (includes restaurant)		2.1	114.35	240.14
Hotel	0.5		-	-
Total Equivalent Population (EP)				240.14
Per Capita Dry Weather Flow, gpcd				
Average Dry Weather Flow, gpd (x 70)				16,809.45
Average Dry Weather Flow, gpm (/ 1440)				11.67
Peak Flow Factor, $PF = [18 + EP/1000]^{0.5} / [4 + (EP/1000)^{0.5}]$				4.12
Maximum Dry Weather Flow, gpd				69,221.57
Maximum Dry Weather Flow, gpm				48.07
Minimum Flow Factor, $MF = 0.2 * (EP/1000)^{0.198}$				0.15
Minimum Dry Weather Flow, gpd				2,534.62
Minimum Dry Weather Flow, gpm				1.76
Infiltration/inflow to sewer, gpd; contributing area in acres			16.60	16,600.00
Maximum Wet Weather Flow, gpd				85,821.57
Maximum Wet Weather Flow, gpm				59.60

# Storm Sewer



- **Design Flow** - [click here](#)
  - **The Rational Method:  $Q=CiA$**
- **Design Velocity**
  - **Minimum Velocity**
    - **Full Flow 3 ft/s**

Additional Info in the Concrete Design Manual

# Storm Sewer



- **Rational method assumes that the maximum rate of runoff for a given intensity occurs when the duration of the storm is long enough such that all parts of the watershed are contributing to runoff at the interception point.**

Additional Info in the Concrete Design Manual - [click here](#)

# Storm Sewer Rational Method



## ○ $Q = CiA$

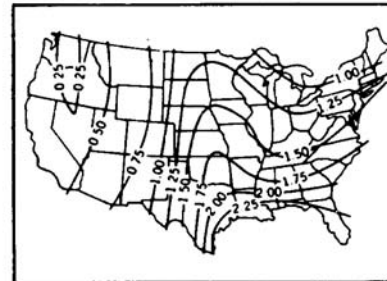
- **C is the ratio of the average rate of rainfall on an area to the maximum rate of run off.**
- **i is the amount of rainfall measured in inches/hr that would be expected in a storm event of a certain duration and frequency.**
- **A is drainage area in acres contributing to watershed**
- **Time of Concentration – time required for a drop of water to fall at the most remote part of the drainage area and flow to a point in the system**

# Storm Sewer Rational Method

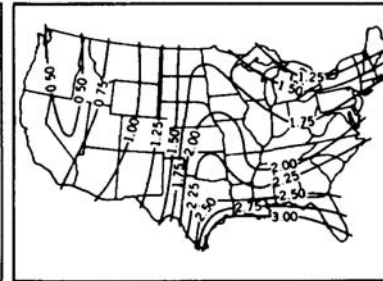


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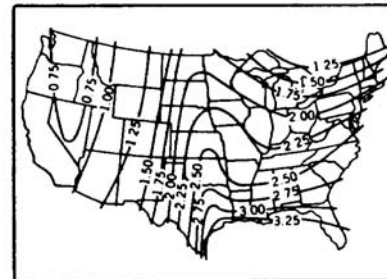
CONCRETE PIPE HANDBOOK



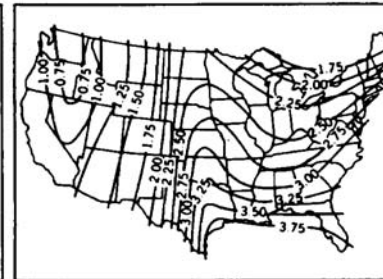
One Hour Rainfall, Inches, to Be Expected Once in 2 Years



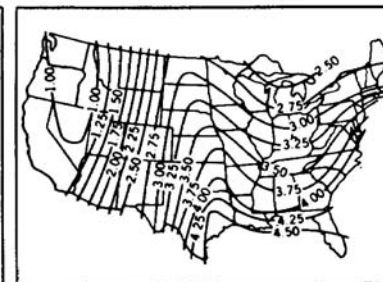
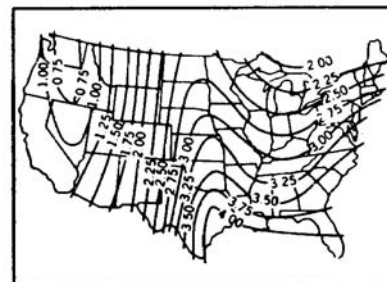
One Hour Rainfall, Inches, to Be Expected Once in 5 Years



One Hour Rainfall, Inches, to Be Expected Once in 10 Years



One Hour Rainfall, Inches, to Be Expected Once in 25 Years







# Storm Sewer Rational Method

- **Highly absorbent surfaces = little runoff**
- **Occurs when rainfall intensity exceeds infiltration rate into the surface**
- **Topographic variables**
  - **Land use**
  - **Type of soil**
  - **Area**
  - **Land shape or form**
  - **Elevation**
  - **Slope**
  - **Orientation**
- **Estimated by hydrographs or rational method**



# Storm Sewer Rational Method

- **Instantaneous peak runoff**
- **For areas less than 1 to 2 miles<sup>2</sup>**
- **$Q = C I A$** 
  - **A is area in acres**
  - **Q is in ac. – in./hr. or ft<sup>3</sup>/sec.**
  - **C is run off co-efficient**
  - **Typical values of C**

forest	0.059 - 0.2
asphalt	0.7 - 0.95
concrete	0.8 - .95
farmland	0.05 - 0.3
unimproved	0.1 - 0.3
downtown	0.7 - 0.95

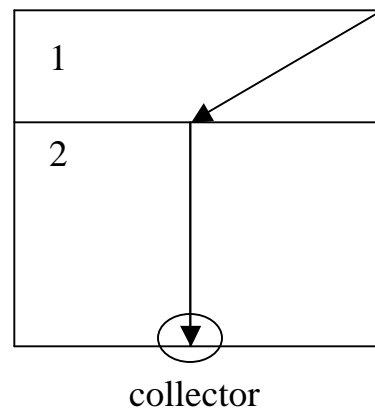
## RESIDENTIAL:

single family	0.3 - 0.5
apartments	0.5 - 0.7

# Example



**Given:** Two adjacent fields, contribute runoff to a collector whose capacity is to be determined. The intensity after 25 min is 3.9 in / hr.



$$A_1 = 2ac$$

$$C_1 = 0.35$$

$$T_1 = 15 \text{ min}$$

$$A_2 = 4ac$$

$$C_2 = 0.65$$

$$T_2 = 10 \text{ min}$$

**Find:** The peak flow using the rational method



## Solution:

**Total time:**  $t = 15 \text{ min} + 10 \text{ min} = 25 \text{ min}$

**Total runoff coefficient:** Use contributing areas

$$C = \frac{(2\text{ac})(0.35) + (4\text{ac})(0.65)}{2\text{ac} + 4\text{ac}} = 0.55$$

**Total Area:**  $A = 2 \text{ ac} + 4 \text{ ac} = 6 \text{ ac}$

**Peak Flow:**  $Q = CIA$

$$Q = (0.55)(3.9 \text{ in/hr})(6\text{ac})$$

$$Q = 12.9 \text{ ac-in/hr (ft}^3 \text{ / sec)}$$



# Congratulations! You are almost finished.

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**Please see remaining slides for the exam questions and submittal form.**

**PDH for this course: 1.0**

**Non member fee: \$99.00**

**Member & Non Industry Engineer Fee: No charge**



## Instructions for Submitting Exam

- **Print out the exam submittal form and test.**
- **Complete the exam by circling the answers on the form.**
- **Complete submittal form.**
- **Mail your exam, submittal form and payment (if applicable) to:**
  - American Concrete Pipe Association**
  - , ( ( ) , : fYYdcfhD\_k nř Suite 3) \$**
  - Irving, TX 750\* '**
  - Attn: Professional Membership – Online Exam**
- **Your exam will be graded by the ACPA and the results provided to you within 60 days.**

# Hydraulics Exam Submittal Form

## Required Contact Information:

Name: \_\_\_\_\_ Date: \_\_\_\_\_

Street Address: \_\_\_\_\_

Mailing Address: \_\_\_\_\_

City: \_\_\_\_\_ State: \_\_\_\_\_ Zip Code: \_\_\_\_\_

Telephone: \_\_\_\_\_ Fax: \_\_\_\_\_

Website: www \_\_\_\_\_ E-mail: \_\_\_\_\_

**Certification of ethical completion:** I certify that I read the course presentation, understood the learning objective, and completed the exam questions to the best of my ability. Additionally, the contact information provided above is true and accurate

Signature: \_\_\_\_\_ Date: \_\_\_\_\_

**PDH Value:** Your exam answers will be graded by The American Concrete Pipe Association. If you answer at least 75 percent of the questions correctly, you will receive a certificate of completion from The American Concrete Pipe Association within 90 days and will be awarded 1.0 professional development hour (equivalent to 0.1 continuing education unit in most states). *Note: It is the responsibility of the licensee to determine if this method of continuing education meets his or her board(s) of registration's requirements.*

**Instructions:** Select one answer for each exam question and clearly circle the appropriate letter.

- |            |            |
|------------|------------|
| 1) a b c d | 5) a b c d |
| 2) a b c d | 6) a b c d |
| 3) a b c d | 7) a b c d |
| 4) a b c d | 8) a b c d |

**Fee:** \$99.00

## Payment Information

Check Enclosed  
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Name on Card \_\_\_\_\_

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# Exam



## What are the difficulties of Open Channel Flow?

- Variations in cross sections and roughness
- More empirical and less exact than pressure conduit flow
- Imprecise run-off calculations
- All of the above



## True or False: Due to constriction at entrance, the inlet configuration has a significant effect on hydraulic performance of basic culverts.

- True
- False



## What is headwater?

- Depth of water downstream of the culvert measured from the outlet culvert
- Depth of water at the upstream face of the culvert
- Similar to channel velocity to protect downstream end
- Velocity at the downstream face of the culvert



## Name one of the basic culvert uses dealing with hydraulics?

- Restoration of a natural waterway that has become obstructed
- Sanitary Sewer
- Reinforcing Foundation
- Tunnel





# Exam (cont.)



**Which control has the smaller Barrel hydraulic capacity?**

- କ) Inlet
- ଖ) Outlet



**What range of numbers is used by engineers as the manning coefficient,  $n$ , for smooth wall pipes?**

- କ) 0.005 or 0.008
- ଖ) 0.009 or 0.010
- ଗ) 0.012 or 0.013
- ଘ) 0.015 or 0.025



**What is the time required for a drop of water to fall at the most remote part of the drainage area and flow to a point in the system called?**

- କ) Time of Concentration
- ଖ) Time of Flow
- ଗ) Average Flow
- ଘ) Design Flow



**How is Average Flow calculated?**

- କ) Rational Method
- ଖ) Product of the manning coefficient and Peak Flow
- ଗ) Based on existing data or specified
- ଘ) Product of the Peaking Factor and Inlet Headwater



**For more information:**

**<http://www.fhwa.dot.gov/engineering/hydraulics/>**

Thank you for participating in ACPA's online training.

*Please send us an email at [info@concretepipe.org](mailto:info@concretepipe.org) if you would like to suggest a training topic to be added in the future. In the subject line include "online training topic."*



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